## Logic Seminar

Effective aspects of diophantine approximation<br>Jan Reimann (Penn State University)

Abstract: Diophantine approximation studies how well real numbers can be approximated in terms of rational numbers (or more generally, algebraic numbers). One measure of approximability is the irrationality exponent - the supremum of all numbers $r>0$ such that there exist infinite many rational numbers $p / q$ with $|x-p / q|<1 / q^{r}$.

Almost every number (with respect to Lebesgue measure) has irrationality exponent 2. In this talk, we present a new result that strengthens and effectivizes a classical theorem due to Jarnik and Besicovitch regarding the Hausdorff dimension of sets of reals with a fixed irrationality exponent.

