

## Departmental Colloquium

### *Simple Length Rigidity*

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**Abstract:** It is a classical result that the geometry of a closed hyperbolic surface is completely determined by the lengths of finitely many simple closed geodesics on the surface. One may reformulate this in algebraic language, as saying that a discrete, faithful representation of the fundamental group  $G$  of a closed surface  $S$  is determined, up to conjugacy, by the spectral radii of the images of finitely many elements which are represented by simple closed curves on  $S$ .

Hitchin discovered a component of the space of representations of  $G$  into  $\mathrm{PSL}(n, \mathbb{R})$ , which bears many resemblances to the Teichmüller space of all representations of  $G$  into  $\mathrm{PSL}(2, \mathbb{R})$ . We show that Hitchin representations are similarly determined by the spectral radii of the images of elements represented by simple closed curves. We obtain a similar result for discrete faithful representations of  $G$  into  $\mathrm{PSL}(2, \mathbb{C})$ . (These results are joint work with Martin Bridgeman and Francois Labourie.)

Friday, October 21 at 3:00 PM in LC F6
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