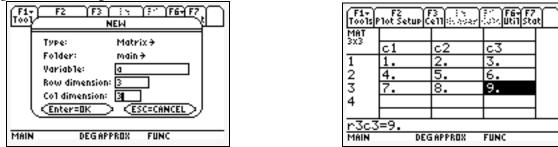
Matrix Operations on the TI-89

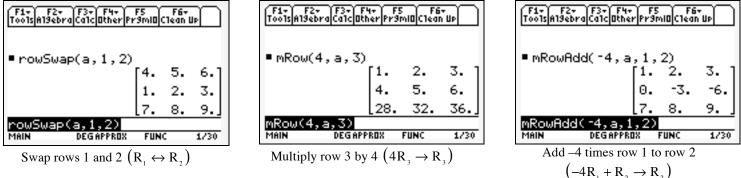
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Entering a Matrix: Press [APPS] and select [Data/Matrix Editor]. Select either 1:Current, 2:Open..., or 3, New where appropriate. Selecting New and entering the information about the matrix as follows:



Press[HOME] to return to the Home screen. Now pressing a and [ENTER] will show you the matrix.

Row Operations: The Row operations can be found by pressing $[2^{nd}]$ [MATH] selecting [4: Matrix] and selecting [J: Row ops]. Row ops is far enough down the list that moving up the list is faster. Here are examples of row operations:



Note: If you are doing many row operations on the same matrix you should use [ANS] instead of the name of the matrix after the first row operation.

Row Echelon Form (ref) and Reduced Row Echelon Form

(**rref**): Press [2nd][MATH] select [4:Matrix]. Select the desired form followed by the name of the matrix and press enter. For example:

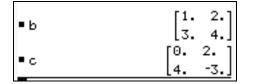
| F1+ F2+ ToolsA19ebro | F3+ F4+ CalcOther | F5 Pr9mil | F6 Clear | - QU |
|-------------------------|----------------------|--------------|-------------|------|
| | | ſ1. | Θ. | -1.] |
| ∎rref(a) | | 0. | 1. | 2. |
| | | Lo. | Θ. | οJ |
| rref(a) | | | | |
| MAIN | DEGAPPROX | FU | NC | 1/30 |

Inverse Matrices: Select the name of the matrix and raise it to the -1 power. The matrix A above is not invertible so we consider

| F1+ F2+ ToolsAl9ebra | F3+ F4+ CalcOtherPr | FS F6+ 9ml0Clean | UP O |
|-------------------------|------------------------|---------------------|-----------|
| ∎b | | [1. 3. | 2. 4.] |
| ∎b ⁻¹ | | [-2. [1.5 | 1. 5 |
| b^ -1 Main | DEGAPPROX | FUNC | 2/30 |

If you want your results in fractions select [Exact/Approx] after pressing [MODE]. Set the calculator to [2: EXACT] then all computations will come out in fractions.

Addition and Multiplication: These operations are done with the regular multiplication and addition keys along with the names of the matrices. For example consider the matrices B and C shown on the left with the computations shown on the right.



| ■b+c | $\begin{bmatrix} 1. & 4. \\ 7. & 1. \end{bmatrix}$ |
|------|---|
| ■b·c | $\begin{bmatrix} 8. & -4. \\ 16. & -6. \end{bmatrix}$ |